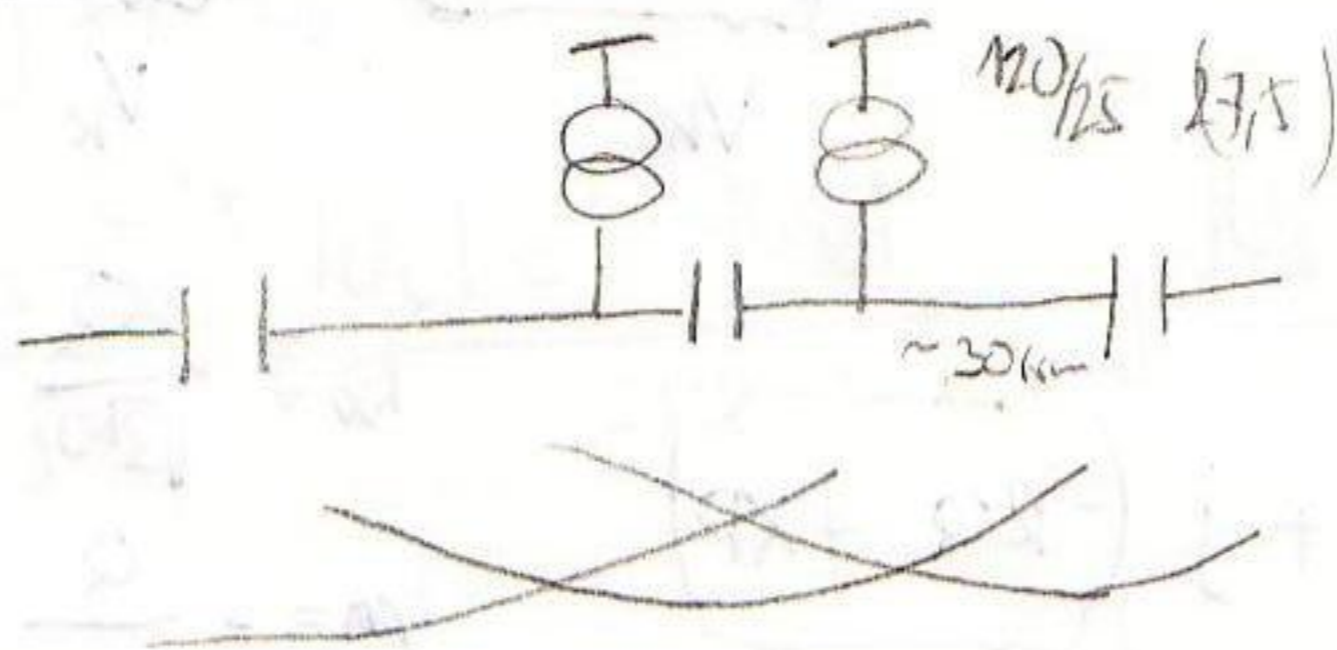
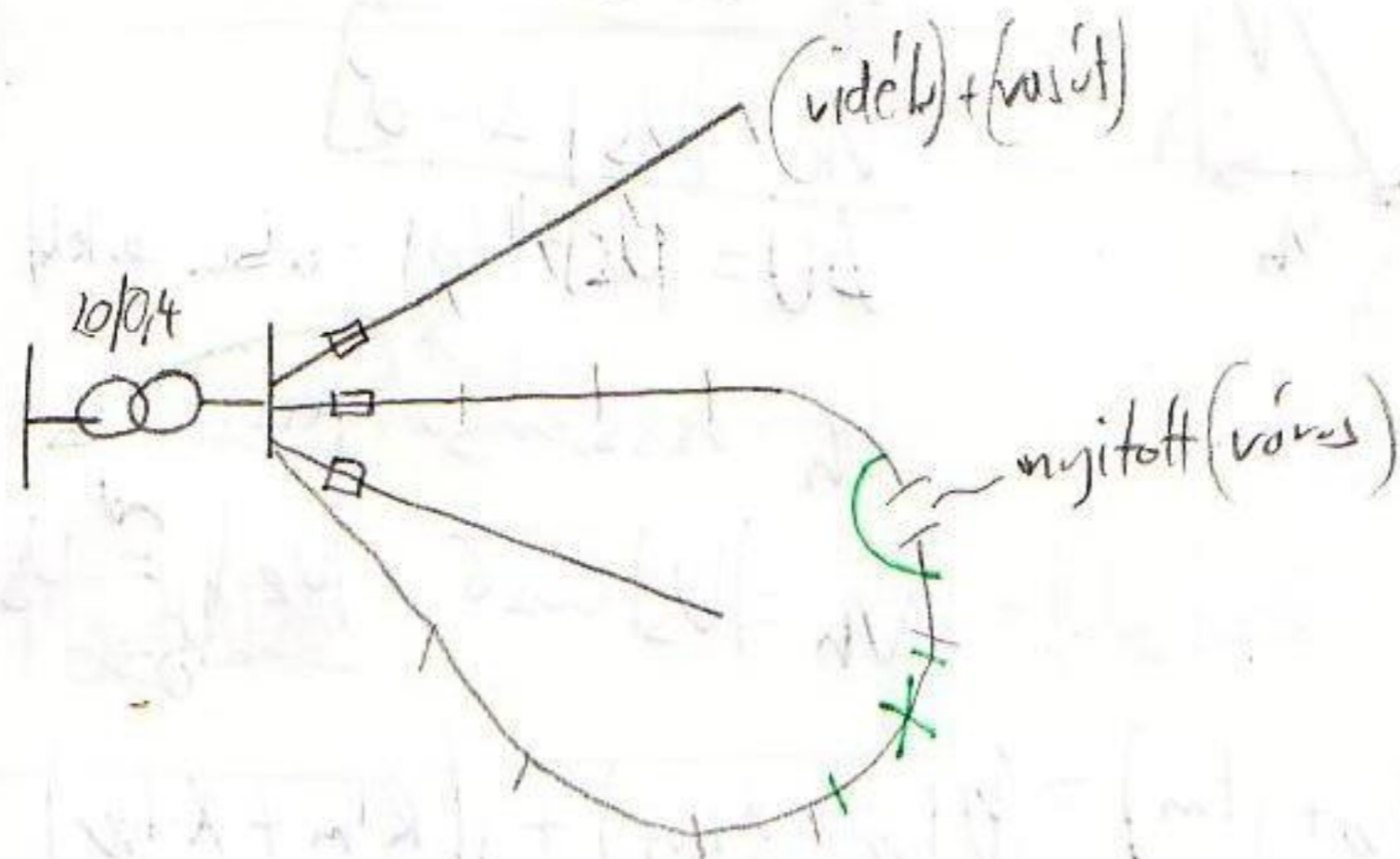


2007. 04. 03. kedd

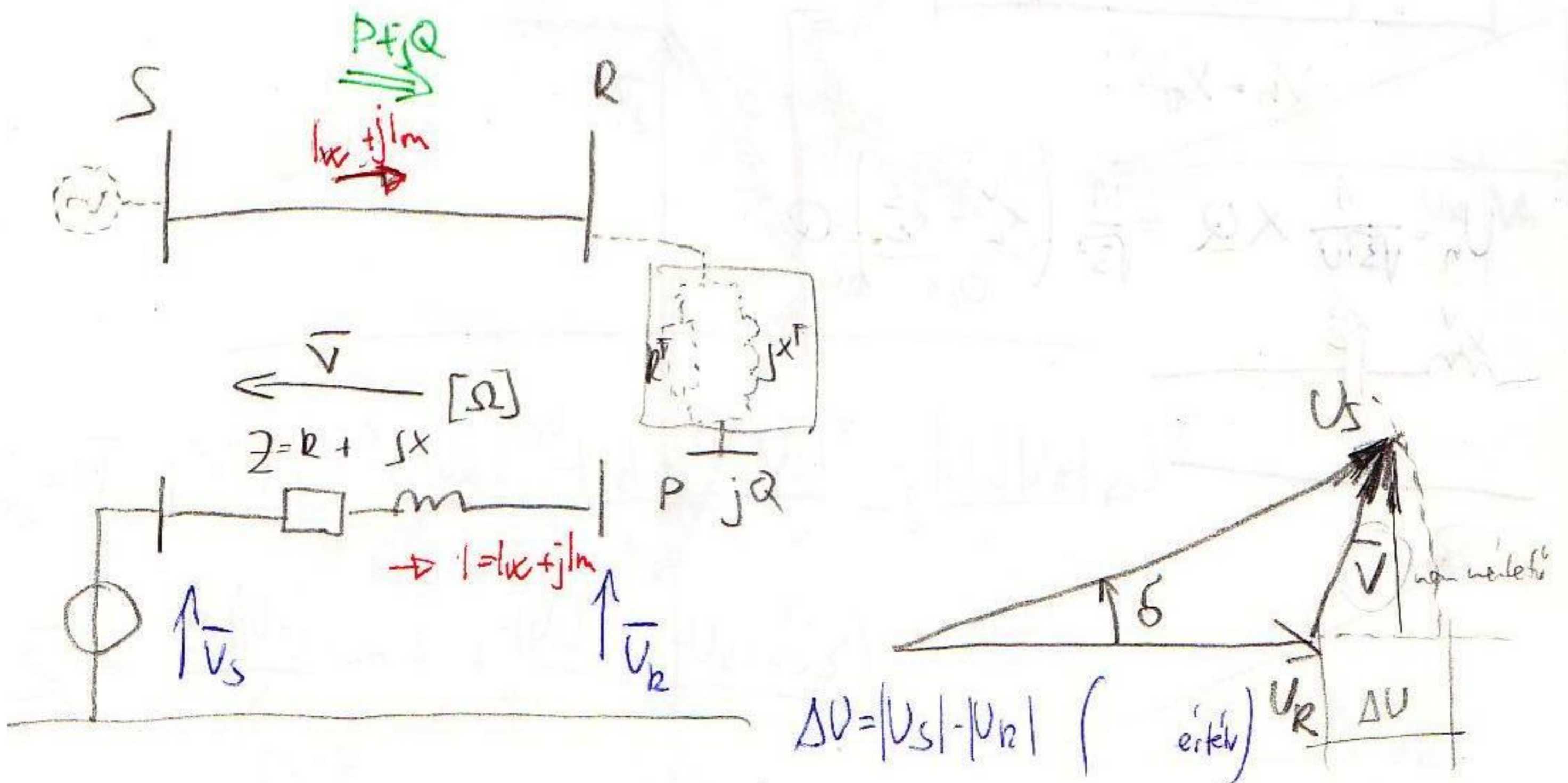
XIV Előadás (2. hét)

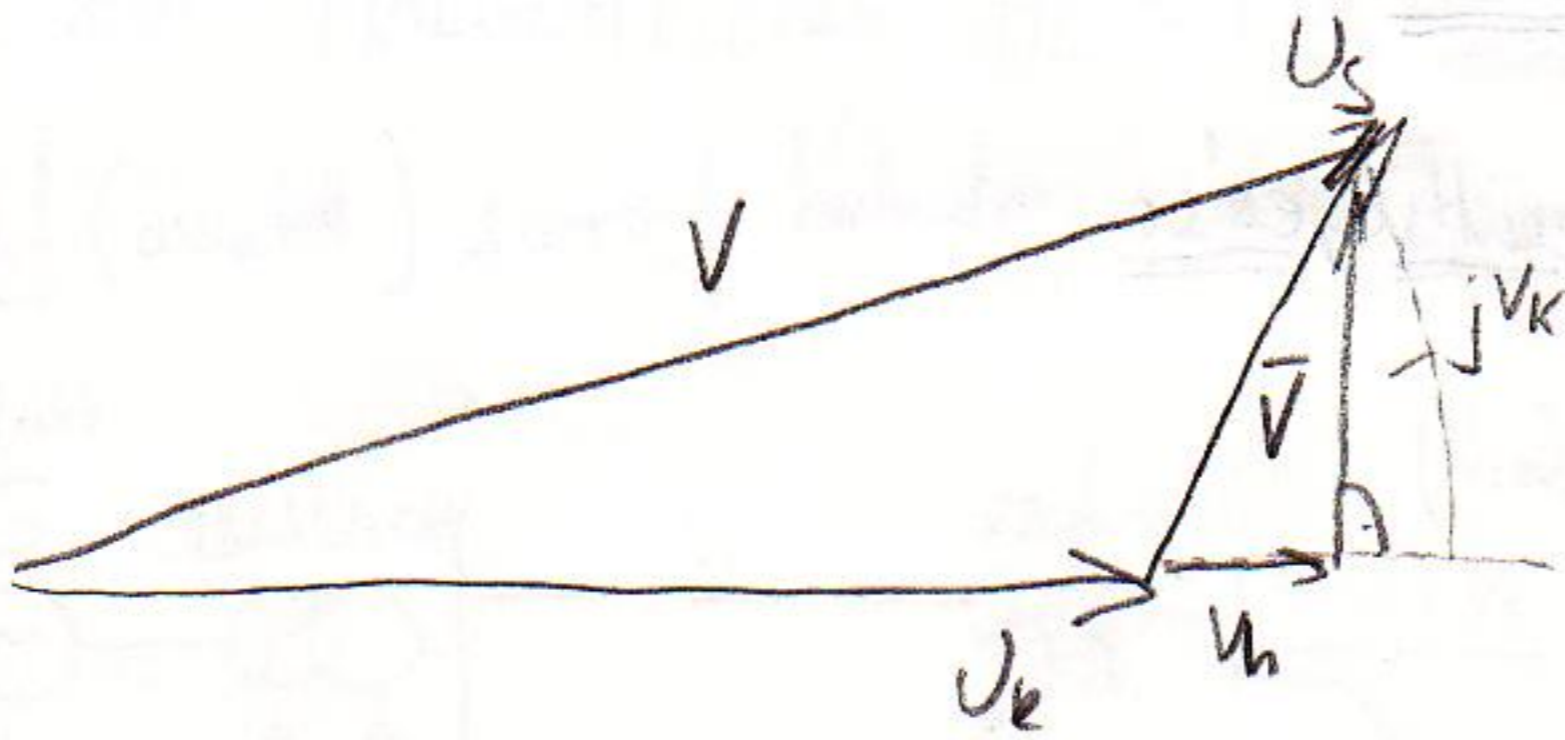
Sugaras ág feszültségese



Átviteli határok

- termikus határ (kis fesz, közep fesz kábel) 90°C tartós, 250°C zórlat
- fesz esés (vadás 27,5kV lehet pl 19,5kV + hóp ⇒ lekapcsol a fő megosztó)
- statikus stabilitás (fesz. vmi...)





\bar{V} komplex (fázisos) fesz. esés

V_k : keresztirányú fesz.

$$V_k = |U_s| \sin \delta$$

$$\Delta U = |U_s| - |U_k| \text{ (abszol. érték)}$$

U_h : hosszirányú fesz.

$$U_h = |U_s| \cos \delta - |U_k| \stackrel{\approx}{=} |U_s| - |U_k|$$

$$\bar{U}_s - \bar{Z} \bar{I} - \bar{U}_k = 0$$

$$U_h \approx \Delta U$$

$$\bar{U} = \bar{U}_s - \bar{U}_k = \bar{Z} \cdot \bar{I} = (R + jX) (I_w + jI_m) = \underbrace{(RI_w - XI_m)}_{V_h} + j \underbrace{(RI_m + XI_w)}_{V_k}$$

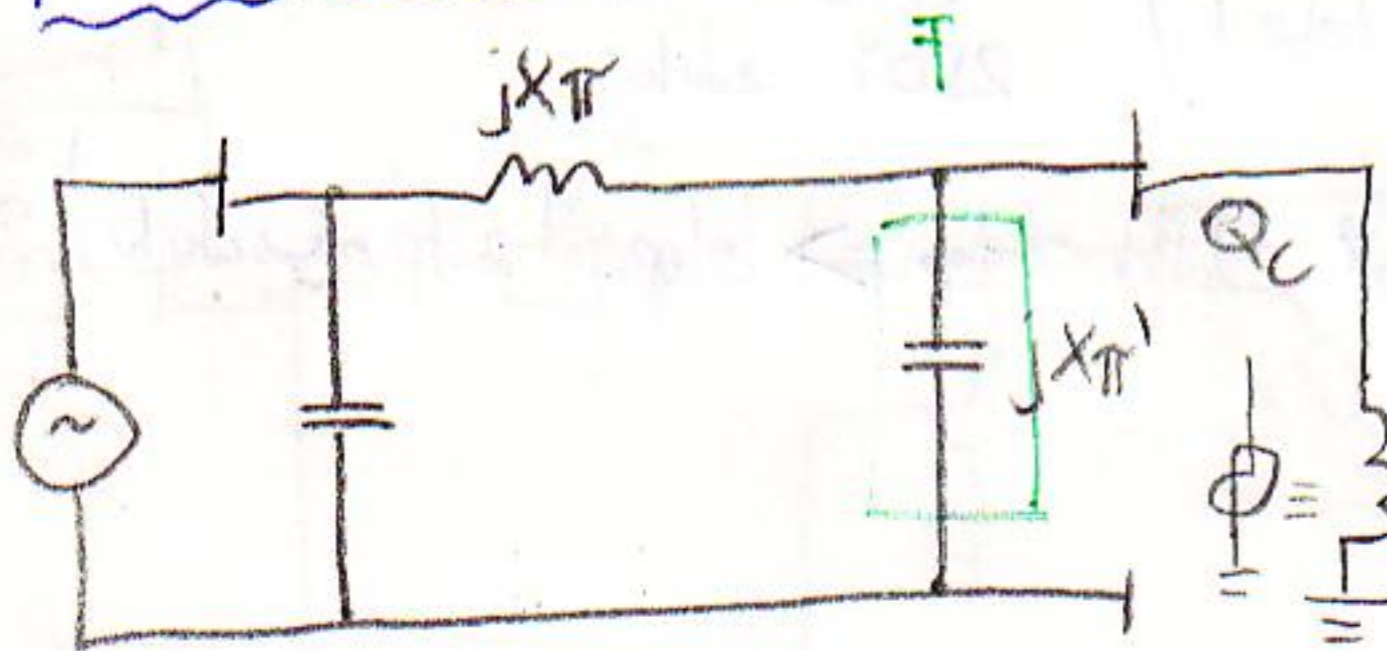
ha $x \gg R$

$$= \frac{1}{\sqrt{3}U} \left[\underbrace{(RP + XQ)}_{V_h} + j \underbrace{(-RQ + XP)}_{V_k} \right]$$

$$I_w = \frac{Q}{\sqrt{3}U}$$

$$I_m = -\frac{Q}{\sqrt{3}U}$$

Ferranti hatás



$$V_h = X_{\pi'} \cdot I$$

$$V_h = \frac{1}{\sqrt{3}U} X_{\pi'} \cdot Q_c$$

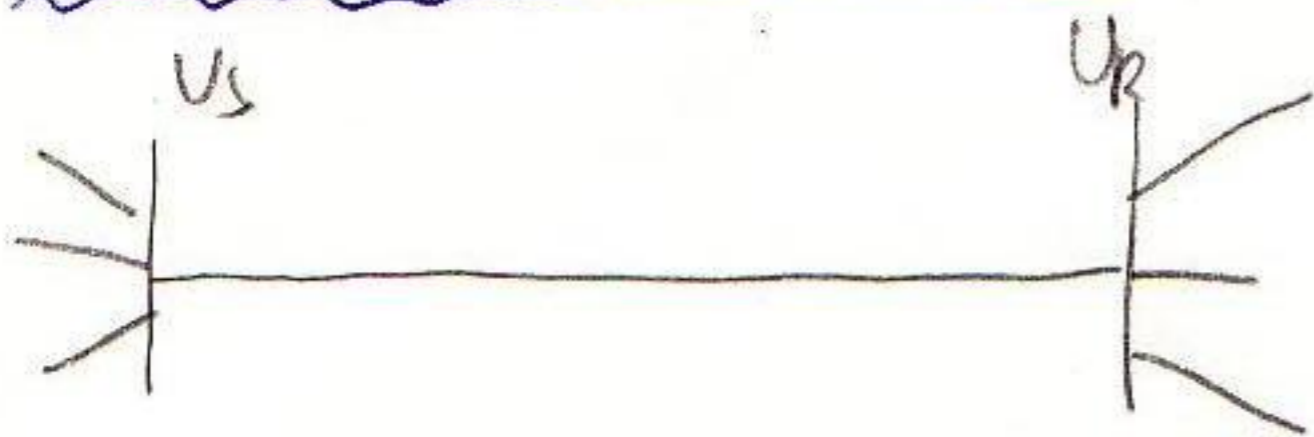
fejőteljes $\sim V_h$

150 MW

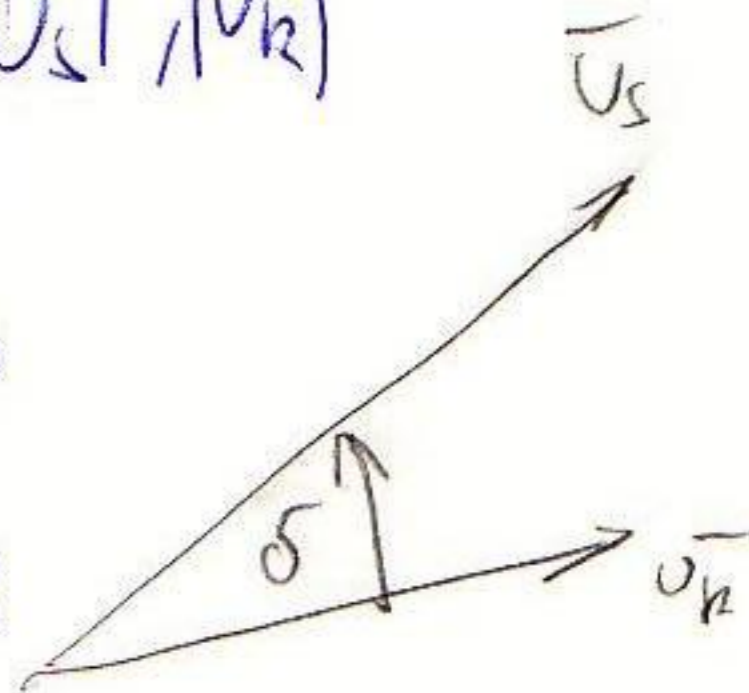
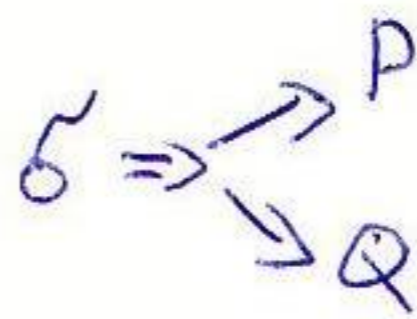
$$U_h = \frac{1}{\sqrt{3}U} X Q = \frac{1}{\sqrt{3}} \left(\frac{x_L^V - x_C^S}{Q,1} \right) \cdot Q$$



Hurokag teljesítés viszonya



előírt $|U_s|, |U_R|$



$$\vec{U}_s = |U_s| \angle \delta$$

$$\vec{U}_R = |U_R| \angle 0$$

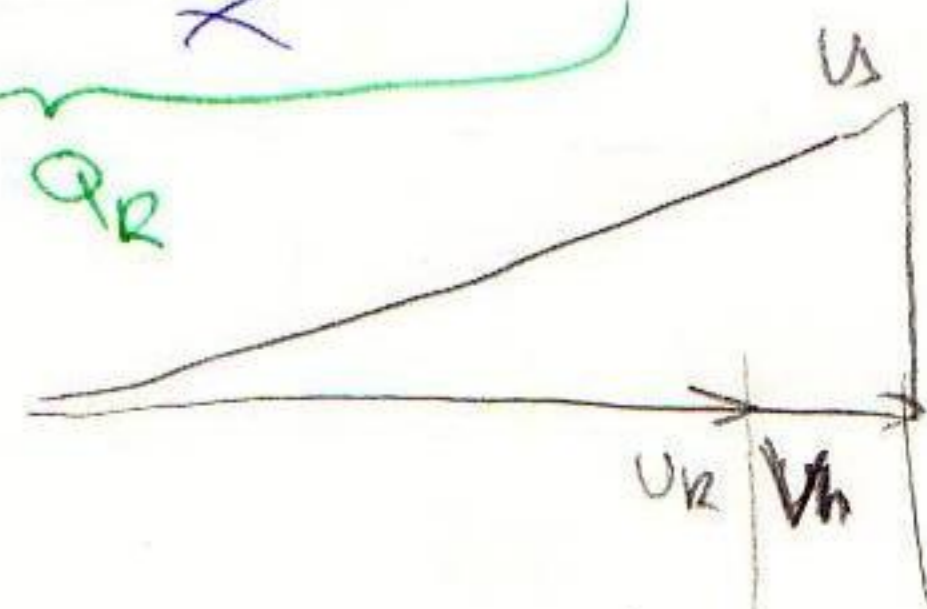
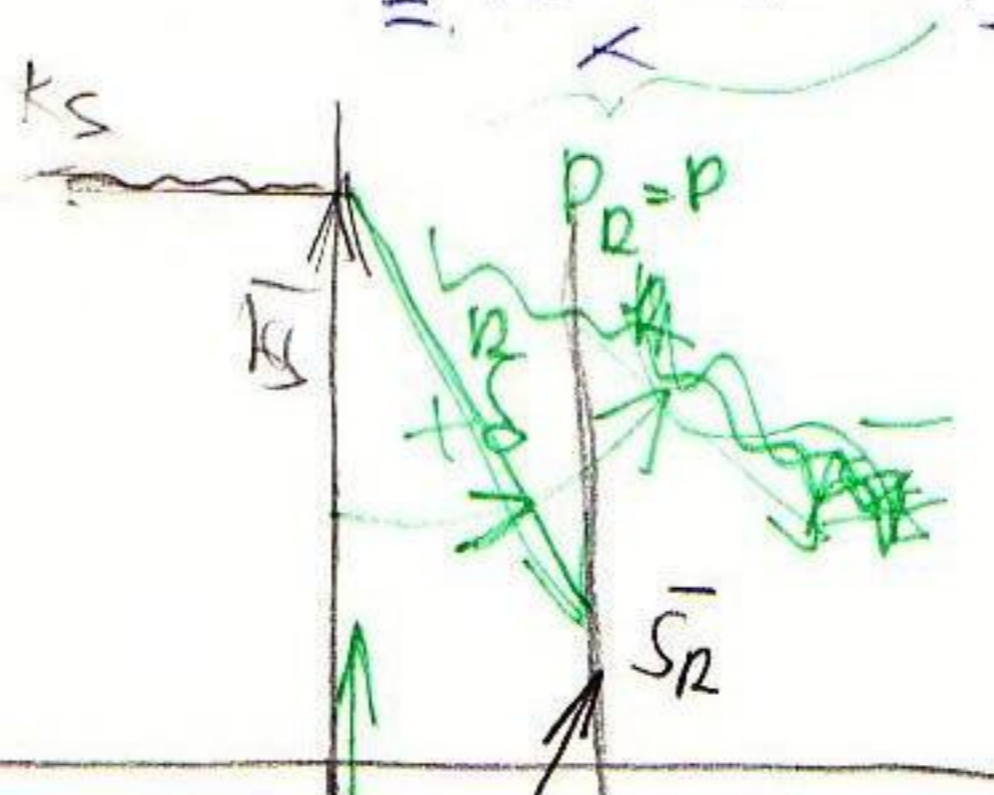
$$\vec{U}_s - jX\vec{I} - \vec{U}_R = 0$$

$$\vec{I} = \frac{(\vec{U}_s - \vec{U}_R)^*}{jX} = \frac{|U_s| e^{-j\delta} - |U_R|}{-jX} = j \frac{|U_s| e^{-j\delta} - |U_R|}{X}$$

"R" teljes $\vec{S}_R = \vec{U}_R \vec{I}^* = j \frac{|U_s| |U_R| e^{-j\delta} - |U_R|^2}{X} = \underbrace{j \frac{|U_R|^2}{X}}_{k_R} + \underbrace{j \frac{|U_s| |U_R|}{X} e^{-j\delta}}_{\text{Szimmetria}}$

$$\frac{|U_R| |U_s| \cos \delta - j |U_s| |U_R| \sin \delta}{X}$$

$$\ominus j \frac{|U_s| |U_R| \cos \delta - j |U_s| |U_R| \sin \delta - |U_R|^2}{X} = \frac{|U_s| |U_R| \sin \delta}{X} + j \frac{|U_R| (|U_s| \cos \delta - |U_R|)}{X}$$



$$\vec{S}_S = \vec{U}_s \vec{I}^* = |U_s| e^{+j\delta} j \frac{|U_s| e^{-j\delta} - |U_R|}{-jX} = \underbrace{j \frac{|U_s|^2}{X}}_{k_S} - \underbrace{j \frac{|U_s| |U_R|}{X} e^{j\delta}}_R$$

$$\vec{S}_S = \underbrace{\frac{|U_s| |U_R| \sin \delta}{X}}_{D_S = P} + j \underbrace{\frac{|U_s| (|U_s| - |U_R| \cos \delta)}{X}}_{Q_S}$$

